

## Summary

- Sample observations may have the same centre but look different because of the way the numbers spread out from the centre
- Measures of variability can help one to create a mental picture of the spread of the data
- Sometimes a population variance  $\sigma^2$  is the primary objective in an experimental investigation
- The standardized statistic for variance is called chi-square, which is equal to  $(n-1) s^2 / \sigma^2$  is called a Chi-square variable and has a sampling distribution called the Chi-square probability distribution with  $n-1$  degrees of freedom
- A confidence interval for variance gives an estimated range of values, which is likely to include an unknown population variance, the estimated range being calculated from a given set of sample data
- The confidence level is the probability value  $(1 - \alpha)$  associated with a confidence interval which is often expressed as a percentage
- 100  $(1 - \alpha)$  % C.I for the population variance  $\sigma^2$  when the mean is known as  $\mu$  is given by

$$\circ [\sum(y_i - \mu)^2 / B, \sum(y_i - \mu)^2 / A] \text{ where } B = \chi_{\alpha/2}^2(n) \text{ and } A = \chi_{(1-\alpha/2)}^2(n)$$

- 100  $(1 - \alpha)$  % C.I for the population variance  $\sigma^2$  when the mean is unknown is given by

$$\circ [\sum(y_i - \bar{y})^2 / B, \sum(y_i - \bar{y})^2 / A] \text{ where } B = \chi_{\alpha/2}^2(n-1) \text{ and } A = \chi_{(1-\alpha/2)}^2(n-1)$$