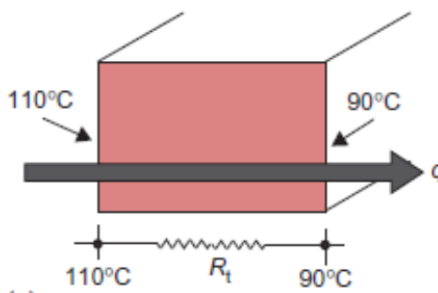
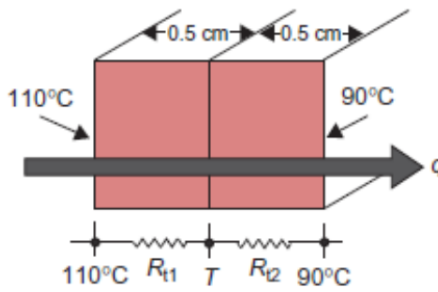
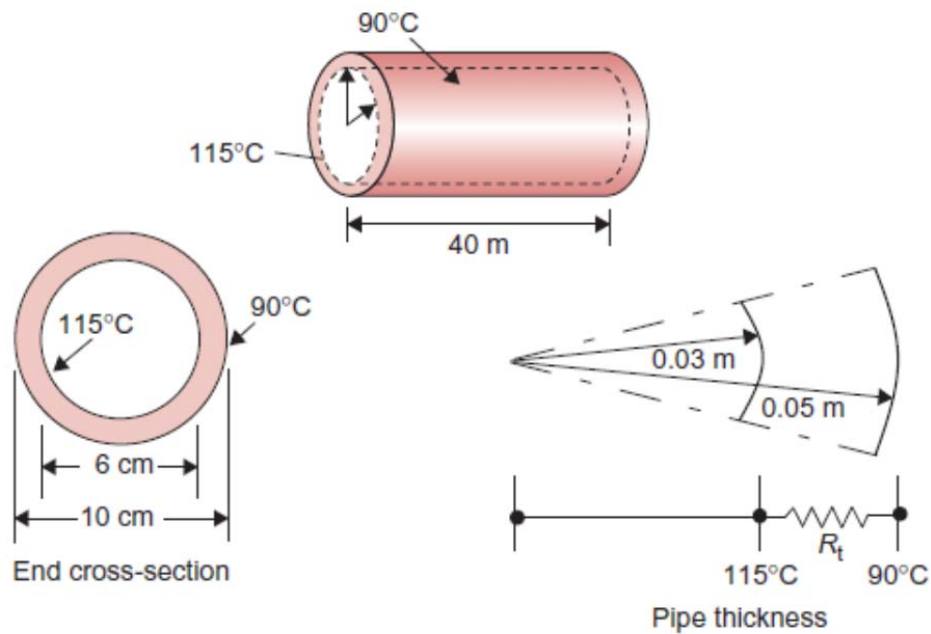


## FAQs

1. One face of a stainless-steel plate 1 cm thick is maintained at 110 °C, and the other face is at 90 °C (Figure below). Assuming steady-state conditions,
  - a) calculate the rate of heat transfer per unit area through the plate using the thermal resistance concept. The thermal conductivity of stainless steel is 17 W/(m °C).
  - b) Determine the temperature at 0.5 cm from the 110 °C temperature face.

 <p>(a)</p>	<p>(a)</p> $R_t = \frac{(x_2 - x_1)}{kA}$ $= 0.01/(17 \times 1) = 5.88 \times 10^{-4} \text{ } ^\circ\text{C/W}$ $q_x = \frac{(T_1 - T_2)}{R_t}$ $= (110 - 90)/(5.88 \times 10^{-4}) = 34,013 \text{ W}$
 <p>(b)</p>	<p>(b)</p> $R_{t1} = (0.05)/(17 \times 1) = 2.94 \times 10^{-4} \text{ } ^\circ\text{C/W}$ $T = T_1 - (q \times R_{t1}) = 110 - (34,013 \times 2.94 \times 10^{-4})$ $= 100 \text{ } ^\circ\text{C}$

2. A 2-cm-thick steel pipe (thermal conductivity 543 W/[m °C]) with 6 cm inside diameter is being used to convey steam from a boiler to process equipment for a distance of 40 m. The inside pipe surface temperature is 115 °C, and the outside pipe surface temperature is 90 °C (Figure below). Calculate the total heat loss to the surroundings under steady-state conditions.



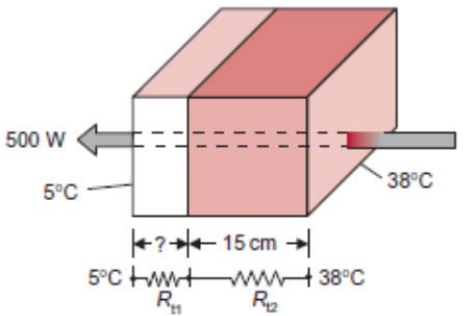
#### Solution

$$R_t = \left[ \frac{\ln(r_o/r_i)}{2\pi Lk} \right] = \ln(0.05/0.03)/(2\pi \times 40 \times 43) = 4.727 \times 10^{-5} \text{ } ^\circ\text{C/W}$$

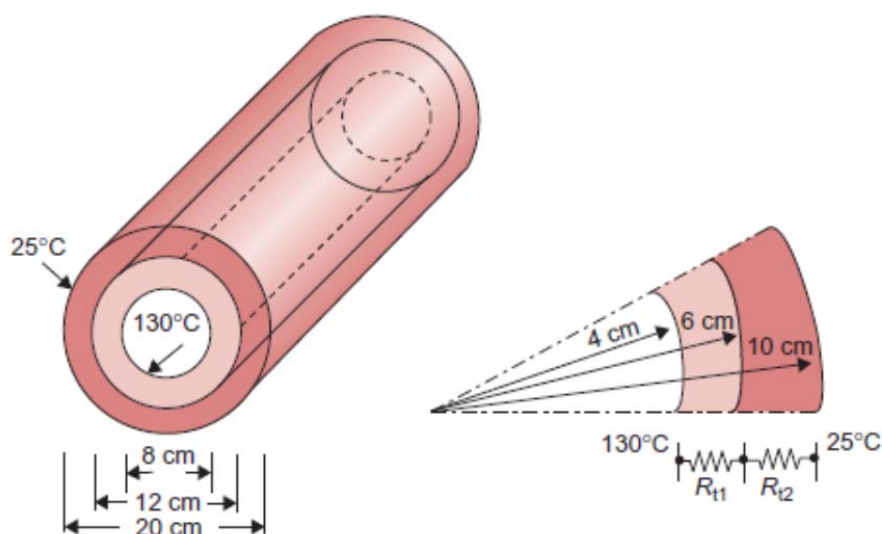
$$q = (115 - 90)/4.727 \times 10^{-5} = 5,28,903 \text{ W}$$

3. A cold storage wall (3 m x 6 m) is constructed of 15-cm-thick concrete (thermal conductivity = 1.37 W/[m °C]). Insulation must be provided to maintain a heat transfer rate through the wall at or below 500 W ([Figure below](#)). If the thermal conductivity of the insulation is 0.04 W/(m °C), compute the required thickness of the insulation. The outside surface temperature of the wall is 38 °C, and the inside wall temperature is 5 °C.

## Solution

	<p>(a)</p> $q = \frac{T_2 - T_1}{R_{tB} + R_{tC} + R_{tD}}$ $= (38 - 5)/(R_{t1} + R_{t2})$ $R_{t2} = 0.15/(1.37 \times 18) = 0.0061 \text{ } ^\circ\text{C/W}$ <p>Therefore,</p> $500 = (38 - 5)/(R_{t1} + 0.0061)$ $R_{t1} = (38 - 5)/500 = 0.06 \text{ } ^\circ\text{C/W}$ <p>(b) <math>\Delta x_B = R_{tB} k_B A</math></p> $= 0.06 \times 0.04 \times 18 = 0.043 = 4.3 \text{ cm}$
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4. A stainless-steel pipe (thermal conductivity = 17 W/[m °C]) is being used to convey heated oil (Figure below). The inside surface temperature is 130 °C. The pipe is 2 cm thick with an inside diameter of 8 cm. The pipe is insulated with 0.04-m-thick insulation (thermal conductivity = 0.035 W/[m °C]). The outer insulation temperature is 25 °C. Calculate the temperature of the interface between steel and insulation, assume steady-state conditions.



### **Solution**

Thermal resistance in the pipe layer is, from Eq. 24

$$R_t = \left[ \frac{\ln(r_o/r_i)}{2\pi Lk} \right] = \ln(0.05/0.033)/(2\pi \times 40 \times 43) = 4.727 \times 10^{-5} \text{ } ^\circ\text{C/W}$$

Therefore

$$q_r = \frac{(T_i - T_o)}{\left[ \frac{\ln(r_o/r_i)}{2\pi Lk} \right]} = (115 - 90)/(4.727 \times 10^{-5}) = 5,28,903 \text{ W}$$

Total heat loss from the 40 m long pipe is 5,28,903 W