

## **[Frequently Asked Questions]**

## **[Quantitative Techniques for Management]**

<b>Subject:</b>	Business Economics
<b>Course:</b>	B.A., 3 <sup>rd</sup> Semester, Undergraduate
<b>Paper No. &amp; Title:</b>	Paper – 304 Business Economics
<b>Unit No. &amp; Title:</b>	1(one) Sampling and hypothesis Testing
<b>Lecture No. &amp; Title:</b>	2: Hypothesis – Large Sample Test & Chi square Test

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## FAQ:

### 1. What do you mean by large sample?

Ans.: A sample with size 30 or more is generally considered as a large sample.

### 2. List the tests for variables.

Ans.: (i) Test for single mean, (ii) Test for two means, (iii) Test for two standard deviations( or variances).

### 3. List the tests for attributes.

Ans.: (i) Test for single proportion, (ii) Test for two proportions.

### 4. State the general formula of test statistic used in large sample test.

Ans.: The general formula of test statistic used in large sample test is

$$|Z| = \frac{|\text{Difference}|}{S.E}$$

### 5. What is confidence interval?

Ans.: An interval developed by using the standard error of the test statistic which may include the value of parameter with a certain degree of confidence is called confidence interval.

### 6. Define chi square distribution.

A distribution of square of standard normal variate is called chi square distribution with one degree of freedom (df).

### 7. What is degrees of freedom?

Ans.: The number of independent terms of a statistic is called degrees of freedom. As the number of restrictions increases the degrees of freedom decreases.

**8. State mean and variance of chi square distribution with n degrees of freedom.**

Ans.: mean = n and variance = 2n.

**9. State the applications of chi square distribution.**

Ans.: (i) To test goodness of fit (ii) To test the independency of attributes (iii) To test the significance of variance.

**10. What is the test statistic used in testing of independence of attributes?**

Ans.:  $\chi^2 = \sum_i \frac{(O_i - E_i)^2}{E_i}$ , where  $O_i$  is observed frequency of the i-th cell and  $E_i$  is expected frequency of the i-th cell.